

# Package ‘sparsenetgls’

May 2, 2024

**Type** Package

**Title** Using Gaussian graphical structure learning estimation in generalized least squared regression for multivariate normal regression

**Version** 1.22.0

**Description** The package provides methods of combining the graph structure learning and generalized least squares regression to improve the regression estimation. The main function `sparsenetgls()` provides solutions for multivariate regression with Gaussian distributed dependent variables and explanatory variables utilizing multiple well-known graph structure learning approaches to estimating the precision matrix, and uses a penalized variance covariance matrix with a distance tuning parameter of the graph structure in deriving the sandwich estimators in generalized least squares (gls) regression. This package also provides functions for assessing a Gaussian graphical model which uses the penalized approach. It uses Receiver Operative Characteristics curve as a visualization tool in the assessment.

**License** GPL-3

**Encoding** UTF-8

**LazyData** true

**Depends** R (>= 4.0.0), Matrix, MASS

**Imports** methods, glmnet, huge, stats, graphics, utils

**Suggests** testthat, lme4, BiocStyle, knitr, rmarkdown, roxygen2 (>= 5.0.0)

**NeedsCompilation** no

**RoxygenNote** 6.0.1

**biocViews** ImmunoOncology,

GraphAndNetwork,Regression,Metabolomics,CopyNumberVariation,MassSpectrometry,Proteomics,Software,Visualization

**bugReport** <https://github.com/superOmics/sparsenetgls/issues>

**VignetteBuilder** knitr

**SystemRequirements** GNU make

**git\_url** <https://git.bioconductor.org/packages/sparsenetgls>

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assess_direct	<i>The assess_direct() function</i>
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## Description

The assess\_direct function is designed to evaluate the prediction accuracy of a Gaussian Graphical model(GGM) comparing with the true graph structure with a known precision matrix.

## Usage

```
assess_direct(PREC_for_graph, OMEGA_for_graph, p)
```

## Arguments

**PREC\_for\_graph** It is the known precision matrix which is used to assess the estimated precision matrix from GGM.

**OMEGA\_for\_graph** It is the estimated precision matrix from a GGM.

**p** It is an integer representing the number of dimension of both the known and estimated precision matrix.

**Value**

Return the list of assessment results including sensitivity, specificity, NPV(test negative), PPV(test positive), true positive and true negative.

**Examples**

```
prec1 <- matrix(c(0,2,3,1,0,0.5,0,0,0.4),nrow=3,ncol=3)
prec0 <- matrix(c(0,1,2,1,0.5,0.2,0,1,1),nrow=3,ncol=3)

assessresult <- assess_direct(prec1,prec0,p=3)
```

---

bandprec	<i>bandprec data for vignette</i>
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**Description**

bandprec and bandvar store the precision matrix and variance covariance matrix with the band diagonal structure.

**Usage**

```
data("bandprec")
```

**Format**

A data frame with 50 observations on the following 50 variables.

V1 a numeric vector  
V2 a numeric vector  
V3 a numeric vector  
V4 a numeric vector  
V5 a numeric vector  
V6 a numeric vector  
V7 a numeric vector  
V8 a numeric vector  
V9 a numeric vector  
V10 a numeric vector  
V11 a numeric vector  
V12 a numeric vector  
V13 a numeric vector  
V14 a numeric vector  
V15 a numeric vector

V16 a numeric vector  
V17 a numeric vector  
V18 a numeric vector  
V19 a numeric vector  
V20 a numeric vector  
V21 a numeric vector  
V22 a numeric vector  
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V24 a numeric vector  
V25 a numeric vector  
V26 a numeric vector  
V27 a numeric vector  
V28 a numeric vector  
V29 a numeric vector  
V30 a numeric vector  
V31 a numeric vector  
V32 a numeric vector  
V33 a numeric vector  
V34 a numeric vector  
V35 a numeric vector  
V36 a numeric vector  
V37 a numeric vector  
V38 a numeric vector  
V39 a numeric vector  
V40 a numeric vector  
V41 a numeric vector  
V42 a numeric vector  
V43 a numeric vector  
V44 a numeric vector  
V45 a numeric vector  
V46 a numeric vector  
V47 a numeric vector  
V48 a numeric vector  
V49 a numeric vector  
V50 a numeric vector

**Examples**

```
data(bandprec)  
## maybe str(bandprec) ; plot(bandprec) ...
```

---

convertbeta                      *The convertbeta() function*

---

### Description

The convertbeta function is designed to convert the regression coefficients derived from the standardized data.

### Usage

```
convertbeta(X, Y, q, beta0)
```

### Arguments

X	It is a dataset of explanatory variables.
Y	It is the multivariate response variables.
q	It is an integer representing the number of explanatory variables and intercept.
beta0	The vector contains the regression coefficients result from sparsenetgls.

### Value

Return the list of converted regression coefficients of the explanatory variables 'betaconv' and intercept value 'betaconv\_int'.

### Examples

```
X <- mvrnorm(n=20,mu=rep(0,5),Sigma=Diagonal(5,rep(1,5)))
Y <- mvrnorm(n=20,mu=rep(0.5,10),Sigma=Diagonal(10,rep(1,10)))
fitmodel <- sparsenetgls(responsetdata=Y,predictdata=X,nlambda=5,ndist=2,
method='elastic')
#Example of converting the regression coef of the first lamda
convertbeta(X=X,Y=Y,q=5+1,beta0=fitmodel$beta[,1])
```

---

glassonet2                      *The glassonet2() function*

---

### Description

The glassonet2 function is designed to learn the graph structure, the corresponding precision matrix and covariance matrix by using the graph lasso method.

### Usage

```
glassonet2(Y0, nlambda = nlambda, lambda.min.ratio = 0.001, method)
```

**Arguments**

<code>Y0</code>	The data matrix for the GGM model.
<code>nlambda</code>	The number of interval used in the penalized path in lasso and elastics. It results in the number of lambda values to be used in the penalization. The default value is <code>nlambda</code> assigned in the parent function <code>sparsenetgls()</code> .
<code>lambda.min.ratio</code>	It is the default parameter set in function <code>huge()</code> in the package 'huge'. Quoted from <code>huge()</code> , it is the minimal value of lambda, being a fraction of the upper bound (MAX) of the regularization/ thresholding parameter that makes all the estimates equal to 0. The default value is 0.001.
<code>method</code>	There are two options for the method parameter which is provided in the <code>huge()</code> function. One is 'glasso' and the other one is 'mb'.

**Value**

Return the precision matrix 'OMEGAMATRIX', penalized path parameter lambda 'lambda' and covariance matrix 'COVMATRIX'.

**Examples**

```
n=20
VARknown <- rWishart(1, df=4, Sigma=matrix(c(1,0,0,0,1,0,0,0,1),
nrow=3, ncol=3))
Y0 <- mvrnorm(n=n, mu=rep(0.5, 3), Sigma=VARknown[, , 1])
fitglasso <- glassonet2(Y0=Y0, nlambda=5, method='glasso')
```

---

lassoglmnet

*The lassoglmnet() function*

---

**Description**

The `lassoglmnet` function is designed to learn the graph structure by using the lasso and elastics net methods.

**Usage**

```
lassoglmnet(Y0, nlambda = 10, alpha)
```

**Arguments**

<code>Y0</code>	The data matrix for the GGM model.
<code>nlambda</code>	The number of interval used in the penalized path in lasso and elastics. It results in the number of lambda values to be used in the penalization. The default value is 10.

alpha The value to be used in enet, it has values between 0 and 1. The value of 0 is corresponding to l-1 penalization, and 1 is corresponding to the l-2 regularization (Ridge regression). The other values between 0 and 1 will result in a combination of l1-l2 norm regularization named as elastic net.

### Value

Return the regression coefficients of glmnet 'coef\_glmnet', residuals from the glmnet 'resid\_glmnet' and lambda.

### Examples

```
n=20
VARknown <- rWishart(1,df=4,Sigma=matrix(c(1,0,0,0,1,0,0,0,1),nrow=3,ncol=3))
Y0 <- mvrnorm(n=n,mu=rep(0.5,3),Sigma=VARknown[, , 1])
fitlasso <- lassoglmnet(Y0=Y0,alpha=0.5)
```

---

path\_result\_for\_roc *The path\_result\_for\_roc() function*

---

### Description

The path\_result\_for\_roc function is designed to evaluate the the prediction accuracy of a series Gaussian Graphical models (GGM) comparing to the true graph structure. The GGM must use a l-p norm regularizations (p=1,2) with the series of solutions conditional on the regularization parameter.

### Usage

```
path_result_for_roc(PREC_for_graph, OMEGA_path, pathnumber)
```

### Arguments

PREC\_for\_graph It is the known precision matrix which is used to assess the estimated precision matrix from GGM.

OMEGA\_path It is a matrix comprising of a series estimated precision matrices from a GGM model using a penalized path based on a range of structure parameters (i.e.  $\lambda, \in [0, 1]$ ).

pathnumber It represents the number of graph models (i.e.  $\lambda$ ) for the evaluation. The value of pathnumber can be the same number used in a penalized path.

### Value

Return the list of assessment results for a series of precision matrices. The results include sensitivity/specificity/NPV/PPV

**Examples**

```

prec1 <- matrix(c(0,2,3,1,0,0.5,0,0,0.4),nrow=3,ncol=3)
Omega_est <- array(dim=c(3,3,3))
Omega_est[,,1] <- matrix(c(0,1,2,1,0.5,0.2,0,1,1),nrow=3,ncol=3)
Omega_est[,,2] <- matrix(c(0,1,0,1,0.5,0.2,0,1,1),nrow=3,ncol=3)
Omega_est[,,3] <- matrix(c(0,1,0,1,0,0.2,0,1,1),nrow=3,ncol=3)
rocpath <- path_result_for_roc(PREC_for_graph=prec1,OMEGA_path=Omega_est,
pathnumber=3)

```

plotsngls

*The plotsngls() function***Description**

The plotsngls function is designed to provide the line plots of variance of regression coefficients vs. values of penalized parameter lambda in gls regression, when the tuning parameter d is the maximal value. It also provides the graph structure of the estimated precision matrix in the penalized path.

**Usage**

```

plotsngls(
  fitgls,
  lineplot = FALSE,
  nrow,
  ncol,
  structplot = TRUE,
  ith_lambda = 1
)

```

**Arguments**

fitgls	It is a returning object of the sparsenetgls() multivariate generalized least squared regression function.
lineplot	It is a logical indicator. When value=TRUE, it will provide line plot.
nrow	It is a graph parameter representing number of rows in the lineplot.
ncol	It is a graph parameter representing number of columns in the lineplot.
structplot	It is a logical indicator. When value=TRUE, it will provide the structure plot of the specified precision matrix from the series of the sparsenetgls results.
ith_lambda	It is the number for the specified precision matrix to be used in the structplot. It represents the ordering number in the precision matrix series from sparsenetgls.

**Value**

Return a plot subject for sparsenetgls including the plot of variance vs lambda and graph structure of the precision matrix estimates.



**Examples**

```

ndox=5;p=3;n=200
VARknown <- rWishart(1, df=4, Sigma=matrix(c(1,0,0,0,1,0,0,0,1),
nrow=3,ncol=3))
normc <- mvrnorm(n=n,mu=rep(0,p),Sigma=VARknown[, ,1])
Y0=normc
##u-beta
u <- rep(1,ndox)
X <- mvrnorm(n=n,mu=rep(0,ndox),Sigma=Diagonal(ndox,rep(1,ndox)))
X00 <- scale(X,center=TRUE,scale=TRUE)
X0 <- cbind(rep(1,n),X00)
#Add predictors of simulated CNA
abundance1 <- scale(Y0,center=TRUE,scale=TRUE)+as.vector(X00%*%as.matrix(u))

##sparsenetgls()
fitgls <- sparsenetgls(responedata=abundance1,predictdata=X00,
nlambda=5,ndist=4,method='lasso')
plotsngls(fitgls, ith_lambda=5)
#plotsngls(fitgls,lineplot=TRUE,structplot=FALSE,nrow=2,ncol=3)

```

plot\_roc

*The plot\_roc() function***Description**

The plot\_roc function is designed to produce the Receiver Operative Characteristics (ROC) Curve for visualizing the prediction accuracy of a Gaussian Graphical model (GGM) to the true graph structure. The GGM must use a l-p norm regularizations ( $p=1,2$ ) with the series of solutions conditional on the regularization parameter.

**Usage**

```
plot_roc(result_assessment, group = TRUE, ngroup = 0, est_names)
```

**Arguments**

result_assessment	It is the list result from function path_result_for_roc() which has five-dimensions recording the path number (i.e. the order of $\lambda$ ), the sensitivity, the specificity, the Negative predicted value (NPV) and the Positive predicted value (PPV) respectively.
group	It is a logical parameter indicating if the result_assessment is for several GGM models. When it is TRUE, it produces the ROC from several GGM models. when it is FALSE, it only produces a ROC for one model.
ngroup	It is an integer recording the number of models when group is TRUE.
est_names	it is used for labeling the GGM model in legend of ROC curve.

**Value**

Return the plot of Receiver Operational Curve

**Examples**

```
prec1 <- matrix(c(0,2,3,1,0,0.5,0,0,0.4),nrow=3,ncol=3)
Omega_est <- array(dim=c(3,3,3))
Omega_est[,,1] <- matrix(c(1,1,1,0.2,0.5,0.2,2,0.2,0.3),nrow=3,ncol=3)
Omega_est[,,2] <- matrix(c(0,1,1,1,0,0,0,0,1),nrow=3,ncol=3)
Omega_est[,,3] <- matrix(c(0,0,0,0,0,0,0,0,0),nrow=3,ncol=3)
roc_path_result <- path_result_for_roc(PREC_for_graph=prec1,
OMEGA_path=Omega_est,pathnumber=3)
plot_roc(result_assessment=roc_path_result,group=FALSE,ngroup=0,
est_names='test example')
```

---

sparsenetgls

*The sparsenetgls() function*


---

**Description**

The sparsenetgls function is a combination of the graph structure learning and generalized least square regression. It is designed for multivariate regression uses penalized and/or regularised approach to deriving the precision and covariance Matrix of the multivariate Gaussian distributed responses. Gaussian Graphical model is used to learn the structure of the graph and construct the precision and covariance matrix. Generalized least squared regression is used to derive the sandwich estimation of variances-covariance matrix for the regression coefficients of the explanatory variables, conditional on the solutions of the precision and covariance matrix.

**Usage**

```
sparsenetgls(
  responsedata,
  predictdata,
  nlambda = 10,
  ndist = 5,
  method = c("lasso", "glasso", "elastic", "mb"),
  lambda.min.ratio = 1e-05
)
```

**Arguments**

responsedata	It is a data matrix of multivariate normal distributed response variables. Each row represents one observation sample and each column represents one variable.
predictdata	It is a data matrix of explanatory variables and has the same number of rows as the response data.

nlambda	It is an interger recording the number of lambda value used in the penalized path for estimating the precision matrix. The default value is 10.
ndist	It is an interger recording the number of distant value used in the penalized path for estimating the covariance matrix. The default value is 5.
method	It is the option parameter for selecting the penalized method to derive the precision matrix in the calculation of the sandwich estimator of regression coefficients and their variance-covariance matrix. The options are 'glasso', 'lasso', 'elastic', and 'mb'. 'glasso' use the graphical lasso method documented in Yuan and Lin (2007) and Friedman, Hastie et al (2007). It used the imported function from R package 'huge'. 'lasso' use the penalized liner regression among the response variables ( $Y_{[j]} \sim Y_{[1]} + \dots + Y_{[j-1]} + Y_{[j+1]} + \dots + Y_{[p]}$ ) to estimate the precision matrix. 'elastic' uses the enet-regularized linear regression among the response variables to estimate the precision matrix. Both of these methods utilize the coordinate descending algorithm documentd in Friedman, J., Hastie, T. and Tibshirani, R. (2008) and use the imported function from R package 'glmnet'. 'mb' use the Meinshausen and Buhlmann penalized linear regression and the neighbourhood selection with the lasso approach (2006) to select the covariance terms and derive the corresponding precision matrix ; It uses the imported function from 'huge' in function sparsenetgls().
lambda.min.ratio	It is the default parameter set in function huge() in the package 'huge'. Quoted from huge(), it is the minial value of lambda, being a fraction of the upperbound (MAX) of the regularization/thresholding parameter that makes all the estimates equal to 0. The default value is 0.001. It is only applicable when 'glasso' and 'mb' method is used.

## Value

Return the list of regression results including the regression coefficients, array of variance-covariance matrix for different lambda and distance values, lambda and distance (power) values, bic and aic for model fitting, and the list of precision matrices on the penalized path.

## Examples

```

ndox=5; p=3; n=1000
VARknown <- rWishart(1, df=4, Sigma=matrix(c(1,0,0,0,1,0,0,0,1),
nrow=3,ncol=3))
normc <- mvrnorm(n=n,mu=rep(0,p),Sigma=VARknown[, ,1])
Y0=normc
##u-beta
u <- rep(1,ndox)
X <- mvrnorm(n=n,mu=rep(0,ndox),Sigma=Diagonal(ndox,rep(1,ndox)))
X00 <- scale(X,center=TRUE,scale=TRUE)
X0 <- cbind(rep(1,n),X00)
#Add predictors of simulated CNA
abundance1 <- scale(Y0,center=TRUE,scale=TRUE)+as.vector(X00*%as.matrix(u))

##sparsenetgls()
fitgls <- sparsenetgls(responsesdata=abundance1,predictdata=X00,

```

```
nlambda=5,ndist=2,method='elastic')
nlambda=5
##rescale regression coefficients from sparsenetgls
#betagls <- matrix(nrow=nlambda, ncol=ndox+1)
#for (i in seq_len(nlambda))
#betagls[i,] <- convertbeta(Y=abundance1, X=X00, q=ndox+1,
#beta0=fitgls$beta[,i])$betaconv
```

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